

CSE-4303 CSE5365 Computer Graphics Practice Parallel Projections

The viewing parameters for a parallel projection are given as

$$\text{VRP(WC)}=(3,4,5)$$

$$\text{VPN(WC)}=(8,6,12)$$

$$\text{VUP(WC)}=(1,2,3)$$

$$\text{PRP (VRC)}=(2,5,-5)$$

$$u_{\min}(\text{VRC}) = -4$$

$$u_{\max}(\text{VRC}) = 6$$

$$v_{\min}(\text{VRC}) = 24$$

$$v_{\max}(\text{VRC}) = 26$$

$$n_{\min}(\text{VRC}) = 10$$

$$n_{\max}(\text{VRC}) = 20$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx

1.000	0.000	0.000	0.000
0.000	0.894	-0.447	0.000
0.000	0.447	0.894	0.000
0.000	0.000	0.000	1.000

Matrix #4: Rz

0.417	0.909	0.000	0.000
-0.909	0.417	0.000	0.000
0.000	0.000	1.000	0.000
0.000	0.000	0.000	1.000

Matrix #6: Translate

Matrix #7: Scale

Matrix #1: Translate

1.000	0.000	0.000	-3.000
0.000	1.000	0.000	-4.000
0.000	0.000	1.000	-5.000
0.000	0.000	0.000	1.000

Matrix #3: Ry

0.859	0.000	-0.512	0.000
0.000	1.000	0.000	0.000
0.512	0.000	0.859	0.000
0.000	0.000	0.000	1.000

Matrix #5: Shear

CSE-4303 CSE5365 Computer Graphics Practice Parallel Projections

The viewing parameters for a parallel projection are given as

$$\begin{array}{ll}
 \text{VRP(WC)}=(0,0,0) & \text{VPN(WC)}=(0,0,1) \\
 \text{VUP(WC)}=(0,1,0) & \text{PRP (VRC)}=(4,7,10) \\
 u_{\min}(\text{VRC})=6 & u_{\max}(\text{VRC})=11 \\
 v_{\min}(\text{VRC})=-3 & v_{\max}(\text{VRC})=5 \\
 n_{\min}(\text{VRC})=12 & n_{\max}(\text{VRC})=20
 \end{array}$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #4: Rz

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #6: Shear

Matrix #8: Scale

Matrix #1: Translate

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #3: Ry

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #5: Shear

Matrix #7: translate

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The viewing parameters for a parallel projection are given as

$$\begin{array}{ll} \text{VRP(WC)}=(3,4,5) & \text{VPN(WC)}=(8,6,12) \\ \text{VUP(WC)}=(1,2,3) & \text{PRP (VRC)}=(2,5,5) \\ u_{\min}(\text{VRC}) = -4 & u_{\max}(\text{VRC}) = 6 \\ v_{\min}(\text{VRC}) = 8 & v_{\max}(\text{VRC}) = 12 \\ n_{\min}(\text{VRC}) = 3 & n_{\max}(\text{VRC}) = 5 \end{array}$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx

1.000	0.000	0.000	0.000
0.000	0.894	-0.447	0.000
0.000	0.447	0.894	0.000
0.000	0.000	0.000	1.000

Matrix #4: Rz

0.417	0.909	0.000	0.000
-0.909	0.417	0.000	0.000
0.000	0.000	1.000	0.000
0.000	0.000	0.000	1.000

Matrix #6: Shear

Matrix #8: Scale

Matrix #1: Translate

1.000	0.000	0.000	-3.000
0.000	1.000	0.000	-4.000
0.000	0.000	1.000	-5.000
0.000	0.000	0.000	1.000

Matrix #3: Ry

0.859	0.000	-0.512	0.000
0.000	1.000	0.000	0.000
0.512	0.000	0.859	0.000
0.000	0.000	0.000	1.000

Matrix #5: Shear

Matrix #7: Translate

CSE-4303 CSE5365 Computer Graphics Practice Parallel Projections

The viewing parameters for a parallel projection are given as

$$\begin{array}{ll} \text{VRP(WC)}=(3,4,5) & \text{VPN(WC)}=(8,6,12) \\ \text{VUP(WC)}=(1,2,3) & \text{PRP (VRC)}=(5,2,1) \\ u_{\min}(\text{VRC})=2 & u_{\max}(\text{VRC})=6 \\ v_{\min}(\text{VRC})=16 & v_{\max}(\text{VRC})=24 \\ n_{\min}(\text{VRC})=15 & n_{\max}(\text{VRC})=20 \end{array}$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx Matrix #1: Translate

1.000	0.000	0.000	0.000
0.000	0.894	-0.447	0.000
0.000	0.447	0.894	0.000
0.000	0.000	0.000	1.000

1.000	0.000	0.000	-3.000
0.000	1.000	0.000	-4.000
0.000	0.000	1.000	-5.000
0.000	0.000	0.000	1.000

Matrix #4: Rz

0.417	0.909	0.000	0.000
-0.909	0.417	0.000	0.000
0.000	0.000	1.000	0.000
0.000	0.000	0.000	1.000

Matrix #3: Ry

0.859	0.000	-0.512	0.000
0.000	1.000	0.000	0.000
0.512	0.000	0.859	0.000
0.000	0.000	0.000	1.000

Matrix #6: Translate

Matrix #5: Shear

Matrix #7: Scale

CSE-4303 CSE5365 Computer Graphics Practice Parallel Projections

1. The viewing parameters for a parallel projection are given as

$$\mathbf{VRP}(WC) = (1, 3, 4)$$

$$\mathbf{VUP}(WC) = (10, 0, 0)$$

$$u_{\min}(VRC) = 13$$

$$v_{\min}(VRC) = -7$$

$$n_{\min}(VRC) = 12$$

$$\mathbf{VPN}(WC) = (6, 0, 8)$$

$$\mathbf{PRP}(VRC) = (0, 4, 5)$$

$$u_{\max}(VRC) = 17$$

$$v_{\max}(VRC) = 3$$

$$n_{\max}(VRC) = 14$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1$; $x=1$; $y=-1$; $y=1$; $z=0$; $z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\mathbf{DOP} = \mathbf{CW} - \mathbf{PRP}$, where **CW** is the

Matrix #2: Rx

Matrix #4: Rz

Matrix #6: Shear

Matrix #8: Scale

Matrix #1: Translate

Matrix #3: Ry

Matrix #5: Shear

Matrix #7: Translate

CSE-4303 CSE5365 Computer Graphics Practice Parallel Projections

The viewing parameters for a parallel projection are given as:

$$\begin{array}{ll}
 \text{VRP(WC)}=(\mathbf{0,0,0}) & \text{VPN(WC)}=(\mathbf{0, 0,1}) \\
 \text{VUP(WC)}=(\mathbf{0,1,0}) & \text{PRP (VRC)}=(\mathbf{10,20,50}) \\
 u_{\min}(\text{VRC}) = \mathbf{-6} & u_{\max}(\text{VRC}) = \mathbf{-2} \\
 v_{\min}(\text{VRC}) = \mathbf{-2} & v_{\max}(\text{VRC}) = \mathbf{6} \\
 n_{\min}(\text{VRC}) = \mathbf{-4} & n_{\max}(\text{VRC}) = \mathbf{1}
 \end{array}$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #4: Rz

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #6: Translate

Matrix #1: Translate

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #3: Ry

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #5: Shear

Matrix #7: Scale

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The viewing parameters for a parallel projection are given as

$$\begin{array}{ll}
 \text{VRP(WC)}=(0,0,0) & \text{VPN(WC)}=(0,0,1) \\
 \text{VUP(WC)}=(0,1,0) & \text{PRP (VRC)}=(4,5,10) \\
 u_{\min}(\text{VRC}) = 1 & u_{\max}(\text{VRC}) = 5 \\
 v_{\min}(\text{VRC}) = -6 & v_{\max}(\text{VRC}) = 2 \\
 n_{\min}(\text{VRC}) = 30 & n_{\max}(\text{VRC}) = 40
 \end{array}$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\text{DOP}=\text{CW}-\text{PRP}$, where **CW** is the Center of the Window on the View Plane.

Matrix #2: Rx

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #4: Rz

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #6

Matrix #1: Translate

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #3: Ry

1	0	0	0
0	1	0	0
0	0	1	0
0	0	0	1

Matrix #5:

Matrix #7

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The viewing parameters for a parallel projection are given as

$$\mathbf{VRP}(WC) = (0, 0, 0)$$

$$\mathbf{VPN}(WC) = (0, 2, 0)$$

$$\mathbf{VUP}(WC) = (0, 1, 2)$$

$$\mathbf{PRP}(VRC) = (12, 25, 60)$$

$$u_{\min}(VRC) = -13$$

$$u_{\max}(VRC) = -17$$

$$v_{\min}(VRC) = -7$$

$$v_{\max}(VRC) = 9$$

$$n_{\min}(VRC) = 58$$

$$n_{\max}(VRC) = 62$$

Find the sequence of transformations that will map this viewing volume into a volume bounded by the planes : $x=-1 ; x=1 ; y=-1 ; y=1 ; z=0 ; z=1$

Hint: The **Direction of Projection (DOP)** is calculated as $\mathbf{DOP} = \mathbf{CW} - \mathbf{PRP}$, where **CW** is the Center of the Window on the View Plane.

Show the matrices for Problem 2

Matrix #2: Rx

Matrix #1: Translate

Matrix #4: Rz

Matrix #3: Ry

Matrix #6: Shear

Matrix #5: Shear

Matrix #8: Scale

Matrix #7: Translate
